ON SOME Π-HEDRAL SUR
SPAC

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There is at present a school of mathema
sive growth of jargon within mathema
purpose in this note to continue the wo
terminology itself can lead to results o
I first consolidate some results of Bake
a class of connected snarfs as follows:
is a Boolean left subideal, we have:

$$\nabla S_\alpha = \int\int\int_{E(\Omega)} B(\gamma_{\beta_0}$$

Rearranging, transposing, and collectin
The significance of this is obvious, for if
our result shows that its union is an u
surface in quasi-quasi space.
We next use a result of Spyrpt [4] to de
topologies. Let ξ be the null operato
super-linear space. Let $\{P_\gamma\}$ be the co
vex, bounded, compact, circled, symme

SURFACES IN QUASI-QUASI SPACE

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thematicians which holds that the explo-
hematics is a deplorable trend. It is our
he work of Redheffer [1] in showing how
ults of great elegance.

Baker [2] and McLelland [3]. We define
ows: $S_\alpha = \Omega(\gamma_\beta)$. Then if $B = (\otimes, \rightarrow, \theta)$
e:

$$B(\gamma_{\beta_0}, \gamma_{\beta_0})\, d\sigma d\phi d\rho - \frac{19}{51}\Omega.$$

llecting terms, we have: $\Omega = \Omega_0$.

for if $\{S_\alpha\}$ be a class of connected snarfs,
an utterly disjoint subset of a π-hedral

to derive a property of wild cells in door
erator on a door topology, $\square$, which is a
he collection of all nonvoid, closed, con-
ymmetric, connected, central, Z-directed,

surface in quasi-quasi space.
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topologies. Let ξ be the null operator
super-linear space. Let $\{P_\gamma\}$ be the co
vex, bounded, compact, circled, symme
meager sets in $\square$. Then $P = \cup P_\gamma$ is p
is superb.

Proof. The proof uses a lemma due t
states that any unbounded fantastic se

$$\Rightarrow P \sim \xi(P$$

After some manipulation we obtain

$$\tfrac{1}{3} =$$

I have reason to believe [6] that this i
superb. Moreover, if $\square$ is a T_2 space,
the proof.
Our final result is a generalization of
some comments on the work of Beama
Let Ω be any π-hedral surface in a semi
nonnegatively homogeneous subadditiv
that f violently suppresses Ω. Then f

Proof. Suppose f is not the Jolly funct
void. Hence f is morbid. This is a con
is the Jolly function. Moreover, if Ω is
spear, then f is uproarious.

to derive a property of wild cells in door
erator on a door topology, $\square$, which is a
he collection of all nonvoid, closed, con-
ymmetric, connected, central, Z-directed,
, is perfect. Moreover, if $P \neq \phi$, then P

due to Sriniswamiramanathan [5]. This
tic set it closed. Hence we have

$$\sim \xi(P_\gamma) - \frac{1}{3}.$$

in

$$\frac{1}{3} = \frac{1}{3}$$

this implies P is perfect. If $P \neq \phi$, P is
ace, P is simply superb. This completes

n of a theorem of Tz, and encompasses
eaman [7] on the Jolly function.
semi-quasi space. Define a nonnegative,
dditive linear functional f on $X \supset \Omega$ such
en f is the Jolly function.

function. Then $\{\Lambda, @, \xi\} \cap \{\Delta, \Omega, \Rightarrow\}$ is
a contradiction, of course. Therefore, f
f Ω is a circled husk, and Δ is a pointed

f

void. Hence f is morbid. This is a co
is the Jolly function. Moreover, if Ω is
spear, then f is uproarious.

Referen

1. R. M. Redheffer, A real-life application
azine, 38 (1965) 103–4.

2. J. A. Baker, Locally pulsating manifol
5280–1.

3. J. McLelland, De-ringed pistons in cy
tischerzeitung für Zilch, 10 (1962) 333-

4. Mrowclaw Spyrpt, A matrix is a matri
28–35.

5. Rajagopalachari Sriniswamiramanatha
Theorem on locally congested lutche
(1964) 72–6.

6. A. N. Whitehead and B. Russell, Princ
sity Press, 1925.

7. J. Beaman, Morbidity of the Jolly fu
(1965) 338–9.

a contradiction, of course. Therefore, f
f Ω is a circled husk, and Δ is a pointed

eferences

cation of mathematical symbolism, this *Mag-*

anifolds, East Overshoe Math. J., 19 (1962)

in cylindric algebras, Vereinigtermathema-
) 333–7.

matrix is a matrix, Mat. Zburp., 91 (1959)

nathan, Some expansions on the Flausgloten
utches, J. Math. Soc., North Bombay, 13

Principia Mathematica, Cambridge Univer-

olly function, Mathematica Absurdica, 117